



GOBIERNO
DE ESPAÑA

MINISTERIO
DE ECONOMÍA
Y COMPETITIVIDAD



Instituto Geológico
y Minero de España



Estimation of daily Snow Cover Area (SCA) in periods without available satellite information by using CELLULAR AUTOMATA. **A PRELIMINARY ASSESSMENT**

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COST Action ES1404:

A European network for a harmonised monitoring of snow for the benefit of climate change scenarios, hydrology and numerical weather prediction

INTRODUCTION (MOTIVATION): **Practical interest** of knowing SCA evolution

- ❑ **SCA** variable \Rightarrow operational modelling in **METEOROLOGY & HYDROLOGY**
- ❑ SCA REMOTELY SENSED observations \Rightarrow Most investigated measurements in hydrology (Liu et al., 2012) \Rightarrow **SCA products** with **\neq s&t resolution & historical period** (eg. MODIS, NOAA)
- ❑ **ISSUE:** the estimation of SCA in periods without satellite information \Rightarrow
 - **Estimation** of historical periods without data (eg. cloudy days, low temporal resolution satellite, short available historical periods)
 - **Prediction** of future values (data assimilation techniques)

INTRODUCTION (MOTIVATION): Practical interest of knowing SCA evolution

TECHNIQUES TO ESTIMATE SCA (IN PERIODS WITHOUT DATA):

□ DETERMINISTIC MODELS

- CONCEPTUAL MODELS: Eg. SNOWMELT RUNOFF MODEL (Martinec *et al.*, 1994); DEGREE-DAY METHODS [empiric approach very employed (Hock, 2003)]. HYBRID-DEGREE-DAY METHODS = **VARIABILITY** (*s&t*)
- ENERGY BALANCE MODELS: (eg. *Eg. Plüss, 1997; Herrero, 2007*)

□ NON-DETERMINISTIC MODELS (↑interest in cases with ↓ n° data)

- REGRESSION TECHNIQUES (Richer *et al.*, 2012; Mir *et al.*, 2015)
- ARTIFICIAL NEURAL NETWORKS (Hou and Huang, 2014)
- **CELLULAR AUTOMATA** (Pardo-Igurquiza *et al.*, 2016; Rusakov *et al.*, 2014; Leguizamón, 2006)

INTRODUCTION (MOTIVATION): Review Cellular Automata technique

Cellular Automata TH HISTORY & GENERAL CONCEPTS:

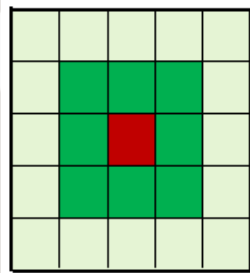
- Neumann & Ulam, 1940's \Rightarrow COMPLEX, DYNAMIC, & DISCRETE (s&t) model SYSTEMS (computational TH, maths, physics, biology & microstructure modelling)


$$S^i(t) = f(S^i(t-1), S^j(t-1), \text{TransitionRules})$$


$S^i(t)$ = state of pixel i; $S^i(t-1)$ = previous state of pixel i; $S^j(t-1)$ = previous state of pixel j)

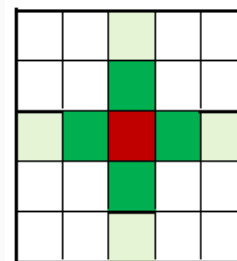
STEPS we should follow to define a CA = REGULAR GRID OF CELLS:


- The state in each cell = finite n^0 of possible states (k) (n^0 or properties)
- Neighbourhood pattern = set of cells influencing on new cell state taking into account a proximity pattern.




Neumann (only )
neighbourhood

Extended Neumann
neighbourhood (also )



Moore (only )
neighbourhood

Extended Moore (also )
neighbourhood

- Transition rules = "If" rules (explanatory variables) to approach system dynamic

INTRODUCTION (MOTIVATION): Review Cellular Automata technique

Cellular Automata HISTORY & GENERAL CONCEPTS

Classic Example of CA application. THE GAME OF LIFE (Conways' s Rules)

Evolution of living organisms = by a grid of cells that can live, die or multiply depending on some transition rules

1) THE RULES

- For a space that is 'populated':

Each cell with one or no neighbours dies, as if by solitude.

Each cell with four or more neighbours dies, as if by overpopulation.

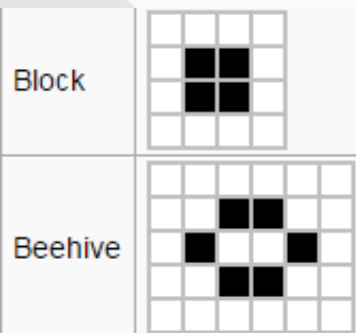
Each cell with two or three neighbours survives.

- For a space that is 'empty' or 'unpopulated'

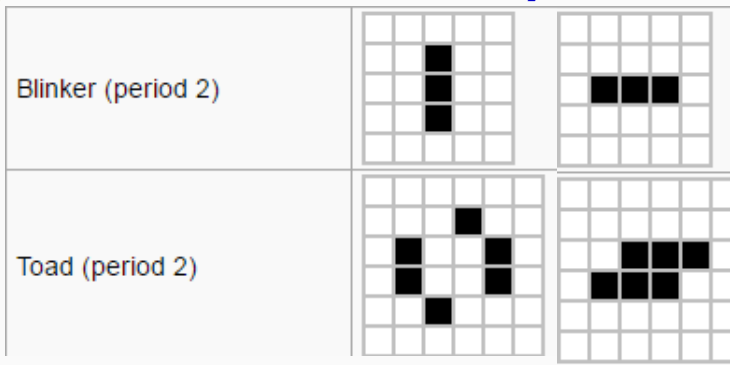
Each cell with three alive neighbours becomes populated.

2) THE INITIAL PATTERN CONSTITUTES THE *SEED* OF THE SYSTEM

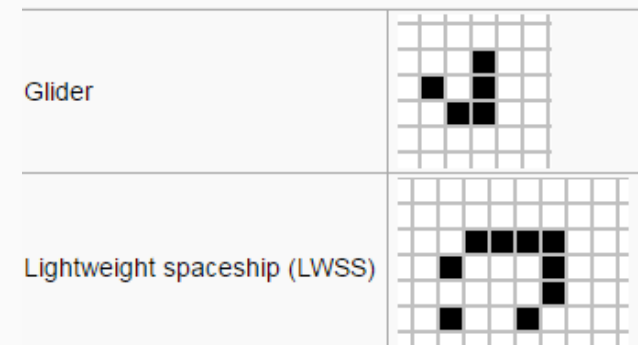
Still life systems



Oscilator systems



Spaceships systems



https://en.wikipedia.org/wiki/Conway%27s_Game_of_Life

([HTTPS://EN.WIKIPEDIA.ORG/WIKI/CONWAY%27S_GAME_OF_LIFE](https://en.wikipedia.org/wiki/Conway%27s_Game_of_Life))

Applications of Cellular Automata in SNOW modelling

- ❑ **Snow Avalanches** (eg. Kronholm and Birkeland 2005, Faillettaz et al., 2004)
- ❑ **Crystal Growth** (Ning et al., 2007)
- ❑ **SCA evolution** (Pardo-Igurquiza et al., 2016; Rusakov et al., 2014, Leguizamón, 2006)

❑ **Location** 36°55'-37°15'N, 2°56'-3°38' West;

+2000m S≈ 550 km²; <40 kms snow areas - sea

❑ **Highest peaks:**

Mulhacén	3,482 m
Veleta	3,393 m
Alcazaba	3,371 m

more than 20 peaks
over 3,000 meters

❑ **Climate conditions** (availability of snow):

Mediterranean Subarctic climate (Koppen climate classification)

↑isolation+↑wind Energy+↓P (690 mm)=↑evaporation + ≠fusion cycles

❑ **Land cover:** ↑isolation ⇒ **Singular flora and fauna**

- **Top areas** (↑2700 m): ↑isolation + extreme ΔT^a & wind+ summer droughts + 8 months with snow)⇒ grassland=**no woody species**
- **High mountaing areas** (1900 m-2700m) =
pine and junipers



METHOD and MATERIAL: CA technique application (Sierra Nevada Mountain)

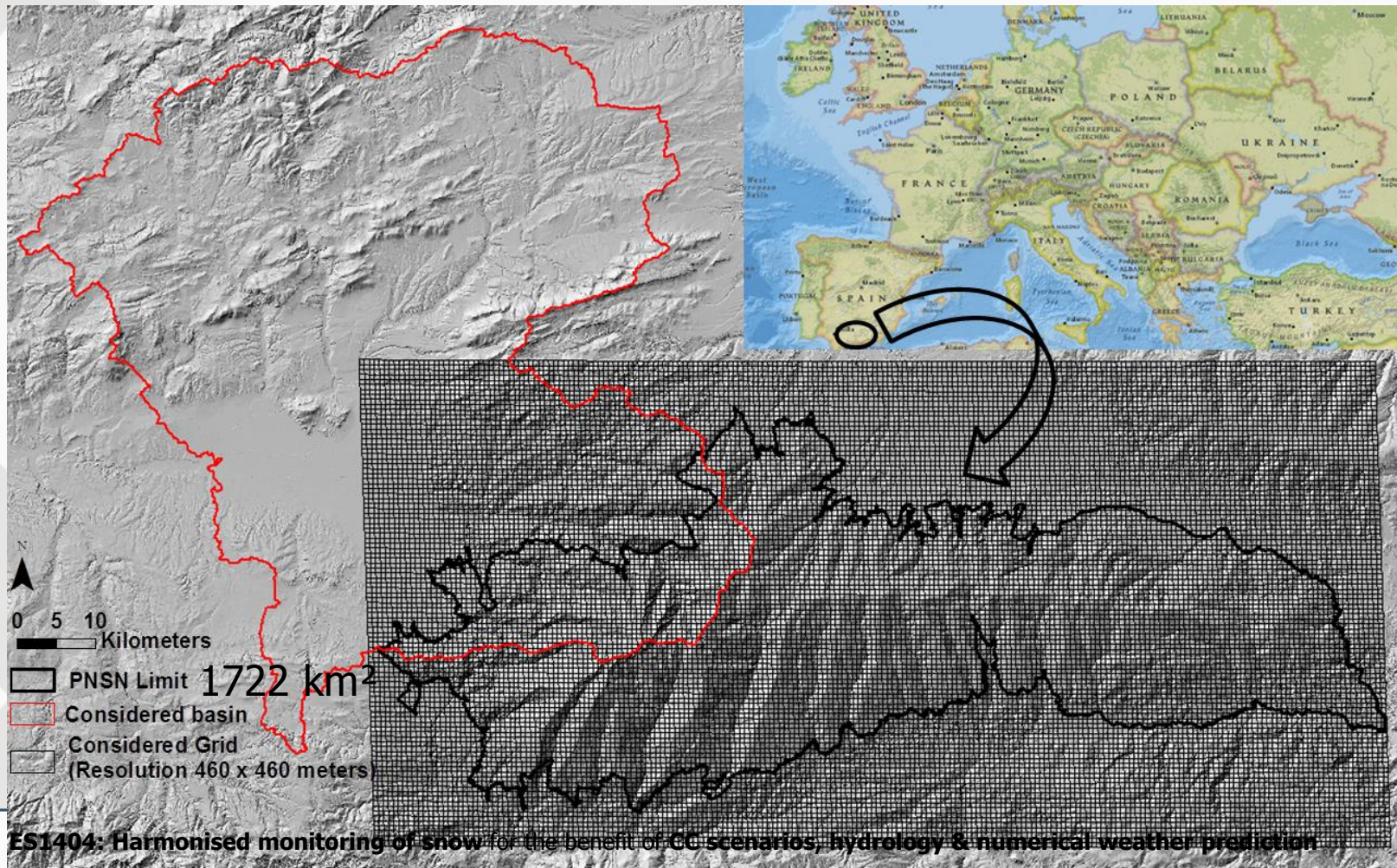
CA to simulate daily SCA in S. Nevada

$$S_i(t) = f(S_i(t-1), S_j(t-1), \text{TransitionRules})$$

1) Definition of CA components

2) Calibration & validation

1A) Definition of a REGULAR GRID (460x460 m cells) in S. Nevada (Spain).



METHOD and MATERIAL: CA technique application (Sierra Nevada Mountain)

CA to simulate **daily SCA** in **S. Nevada**

$$S_i(t) = f(S_i(t-1), S_j(t-1), \text{TransitionRules})$$

1) Definition of CA components

2) Calibration & validation

1B) Finite possible states (k) in each cell (n^{os} or properties):

S = 0 (without snow)
S = 1 (with snow)

4 possibilities of state evolution:

$$S_i(t) = 0 \ \& \ S_i(t-1) = 0 \quad ; \quad S_i(t) = 0 \ \& \ S_i(t-1) = 1;$$

$$S_i(t) = 1 \ \& \ S_i(t-1) = 1 \quad ; \quad S_i(t) = 1 \ \& \ S_i(t-1) = 0;$$

1C) Neighbourhood pattern = set of cells that influence on new state

11	12	13	14	15
10	2	3	4	16
9	1	0	5	17
24	8	7	6	18
23	22	21	20	19

Extended Neumann neighbourhood

METHOD and MATERIAL: CA technique application (Sierra Nevada Mountain)

CA to simulate **daily SCA** in **S. Nevada**
 $S^i(t) = f(S^i(t-1), S^j(t-1), \text{TransitionRules})$

1) Definition of CA components

2) Calibration & validation

1D) Transition rules “If” rules (explanatory variables) to approach system dynamic

explanatory VARIABLES/PARAMETERS

- Altitude (**A**): Classes $A_k =$
 $[A_0 < 1700 < A_1 < 1900 < A_2 < 2400 < A_3$
 $< 2500 < A_4 < 2700 < A_5 < 3200]$
- Mean precipitation in the basin
(P): Classes $P_k [P_0 < 5 < P_1]$
- Mean Temperature in the
basin (**T**): Classes T_k
 $[T_0 < 4 < T_1 < 6 < T_2 < 8 < T_3 < 10 < T_4 <$
 $15 < T_5 < 20]$

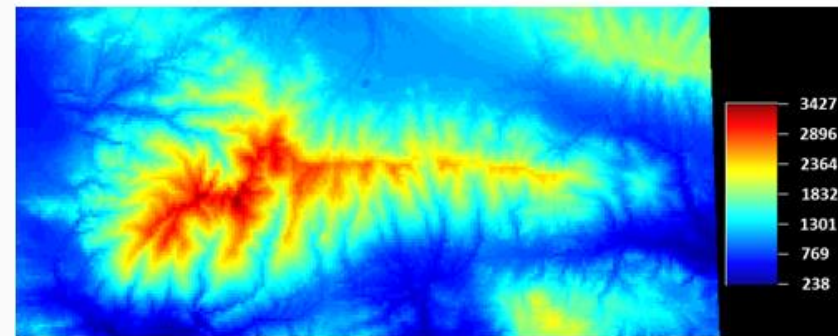


Figure 2. Map of Altitude (m)

Related spatial continuity function for the variables Snow and Altitude

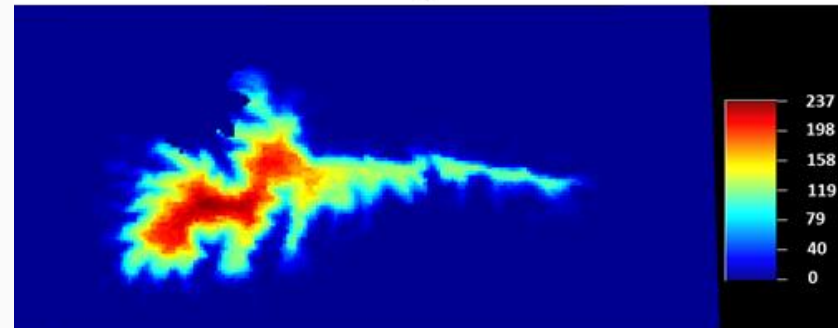


Figure 3. Number of days with snow for the period 01/07/2010 to 30/06/2011

METHOD and MATERIAL: CA technique application (Sierra Nevada Mountain)

CA to simulate **daily SCA** in **S. Nevada**
 $S^i(t) = f(S^i(t-1), S^j(t-1), \text{TransitionRules})$

1) Definition of CA components

2) Calibration & validation

1D) Transition rules "If" rules (explanatory variables) to approach system dynamic
explanatory VARIABLES/PARAMETERS (Mean P and T in the basin (**P, T**))

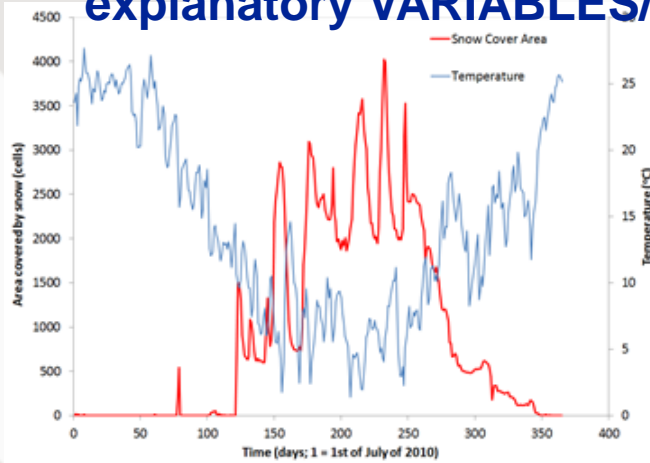


Figure 4. Snow cover area and Temperature in the zone for the period 01/07/2010 to 30/06/2011

Precipitation and temperature series of a basin related with Sierra Nevada Mountain. The basin represent the changes of the variables but not the absolute value.

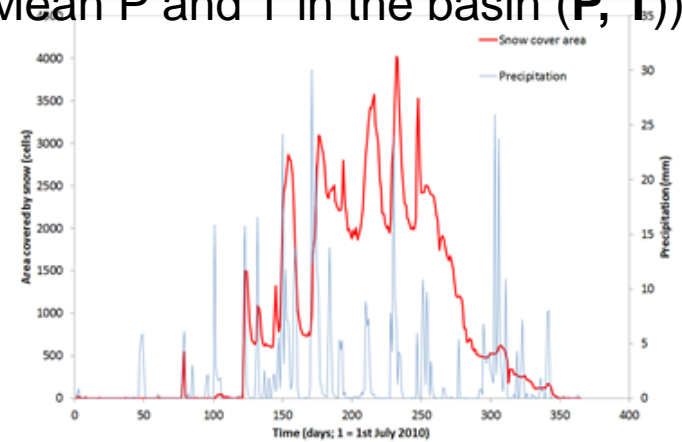


Figure 5. Snow cover area and precipitation in the zone for the period 01/07/2010 to 30/06/2011

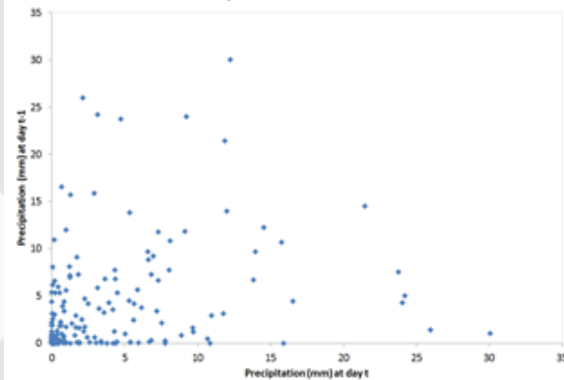


Figure 6. Precipitation correlation with the previous day for the period 01/07/2010 to 30/06/2011

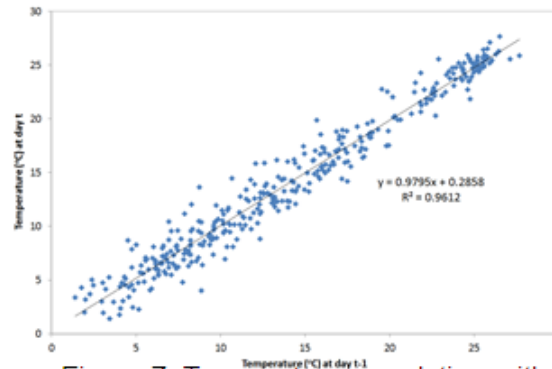


Figure 7. Temperature correlation with the previous day for the period 01/07/2010 to 30/06/2011

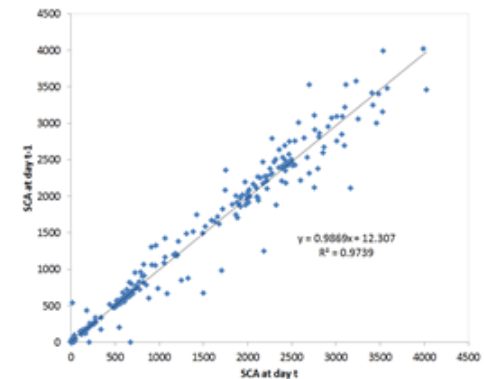


Figure 8. SCA correlation with the previous day for the period

METHOD and MATERIAL: CA technique application (Sierra Nevada Mountain)

CA to simulate **daily SCA** in **S. Nevada**
 $S_i(t) = f(S_i(t-1), S_j(t-1), \text{TransitionRules})$

1) Definition of CA components

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Explanatory VARIABLES/PARAMETERS

- Altitude (**A**): Classes $A_k = [A_0 < 1700 < A_1 < 1900 < A_2 < 2400 < A_3 < 2500 < A_4 < 2700 < A_5 < 3200]$
- Mean precipitation in the basin (**P**): Classes $P_k [P_0 < 5 < P_1]$
- Mean Temperature in the basin (**T**): Classes $T_k [T_0 < 4 < T_1 < 6 < T_2 < 8 < T_3 < 10 < T_4 < 15 < T_5 < 20]$

MODES

- **Increasing mode (IM)**: IF $T_k(t) < T_k(t-1)$
- **Decreasing mode (DM)**: IF $T_k(t) > T_k(t-1)$
- **Snowing mode (SM)**: IF $P > 5$ AND $(T < 20 \text{ AND } A > 3200 \text{ OR } T < 15 \text{ AND } A > 2700 \text{ OR } T < 12.5 \text{ AND } A > 2500 \text{ OR } T < 10 \text{ AND } A > 2400 \text{ OR } T < 7.5 \text{ AND } A > 1900 \text{ OR } T < 12.5 \text{ AND } A > 2500 \text{ OR } T < 5 \text{ AND } A > 1700)$

Calibration of transition RULES

IF MODE = **SM** THEN $S_i(t) = 1$

IF MODE = **IM** AND **SM** AND $S_i(t-1) = 1$ THEN $S_i(t) = 1$

IF MODE = **IM** AND **SM** AND $S_i(t-1) = 0$ AND $S_j(t) = 1$ with $n_j > 13$ THEN $S_i(t) = 1$

IF MODE = **DM** AND $S_i(t-1) = 1$ AND $S_j(t) = 1$ with $n_j > 13$ THEN $S_i(t) = 0$

□ Calibration of the CA model

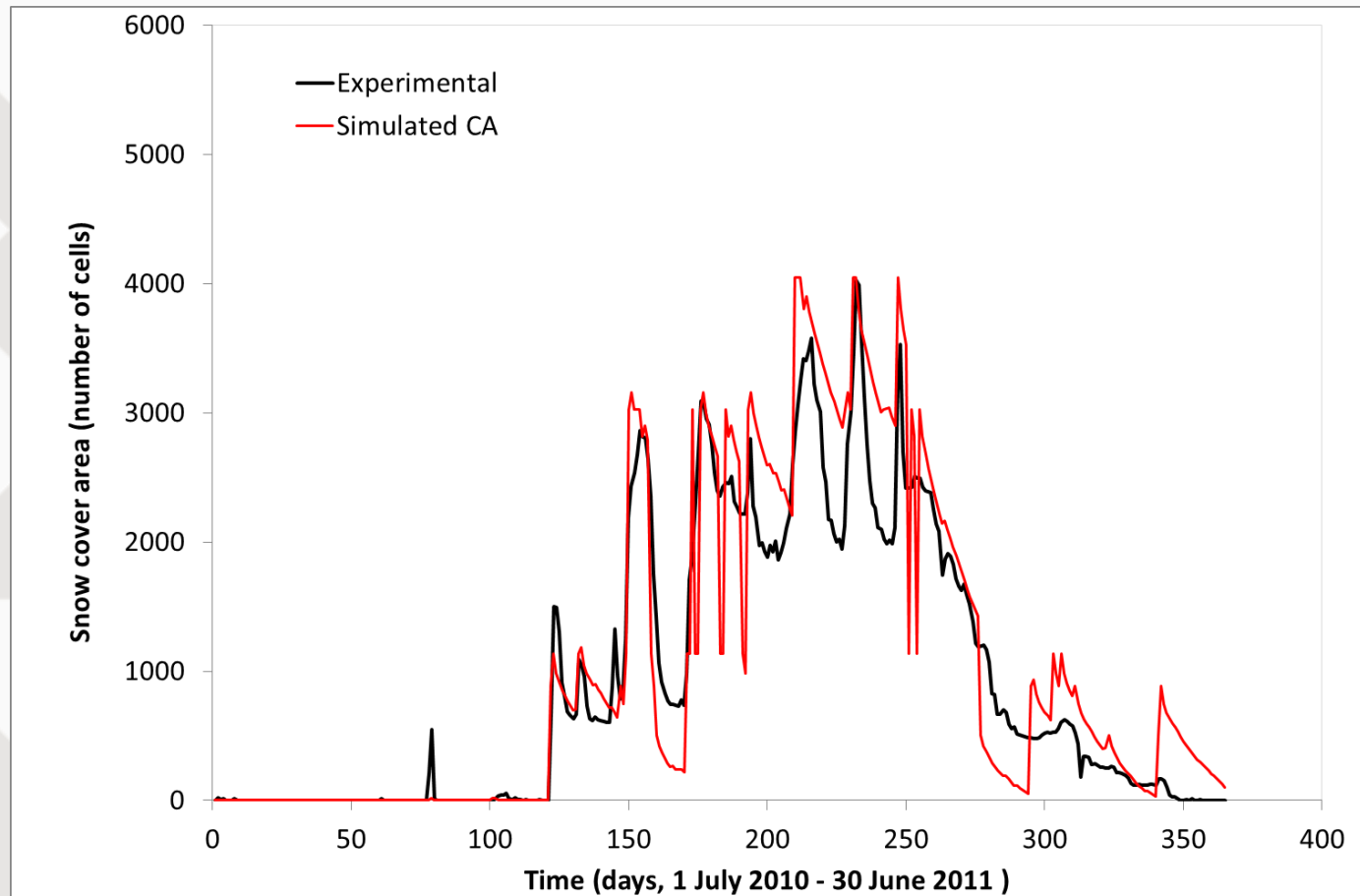


Figure 9. Experimental and simulated SCA for the year 2010-2011

METHOD and MATERIAL: CA technique application (Sierra Nevada Mountain)

☐ Calibration of the CA model

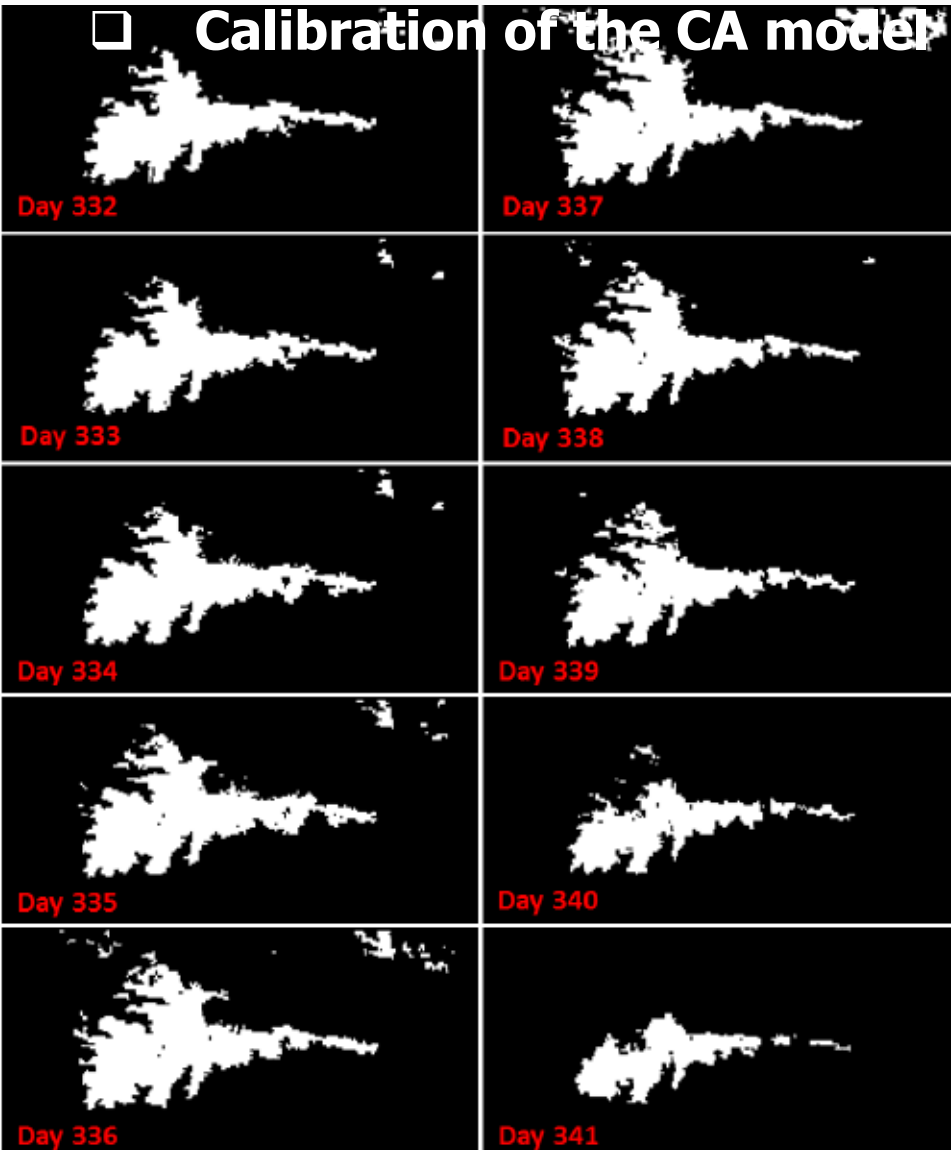


Figure 11. SCA maps of experimental data for the year 2010

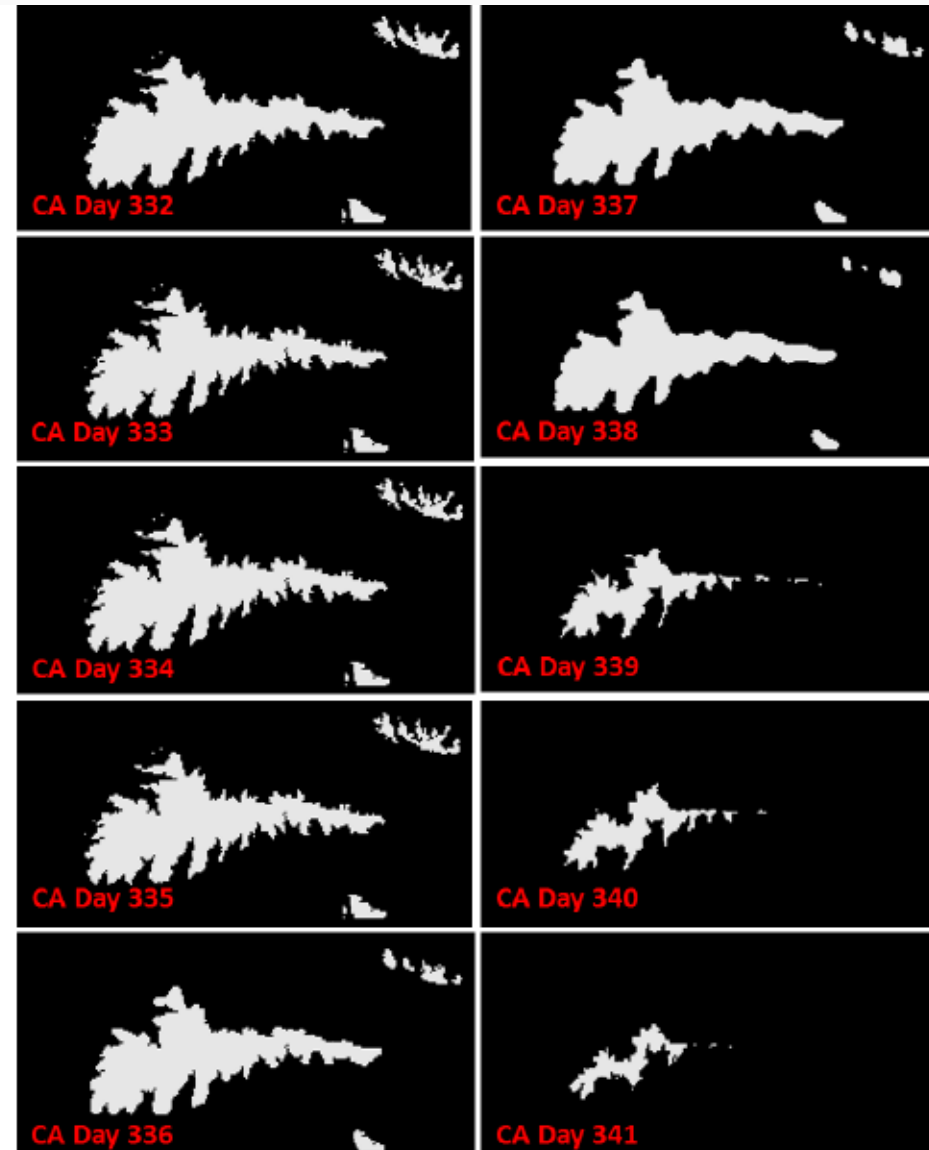


Figure 12. SCA maps of simulated data for the year 2010

Validation of the CA model

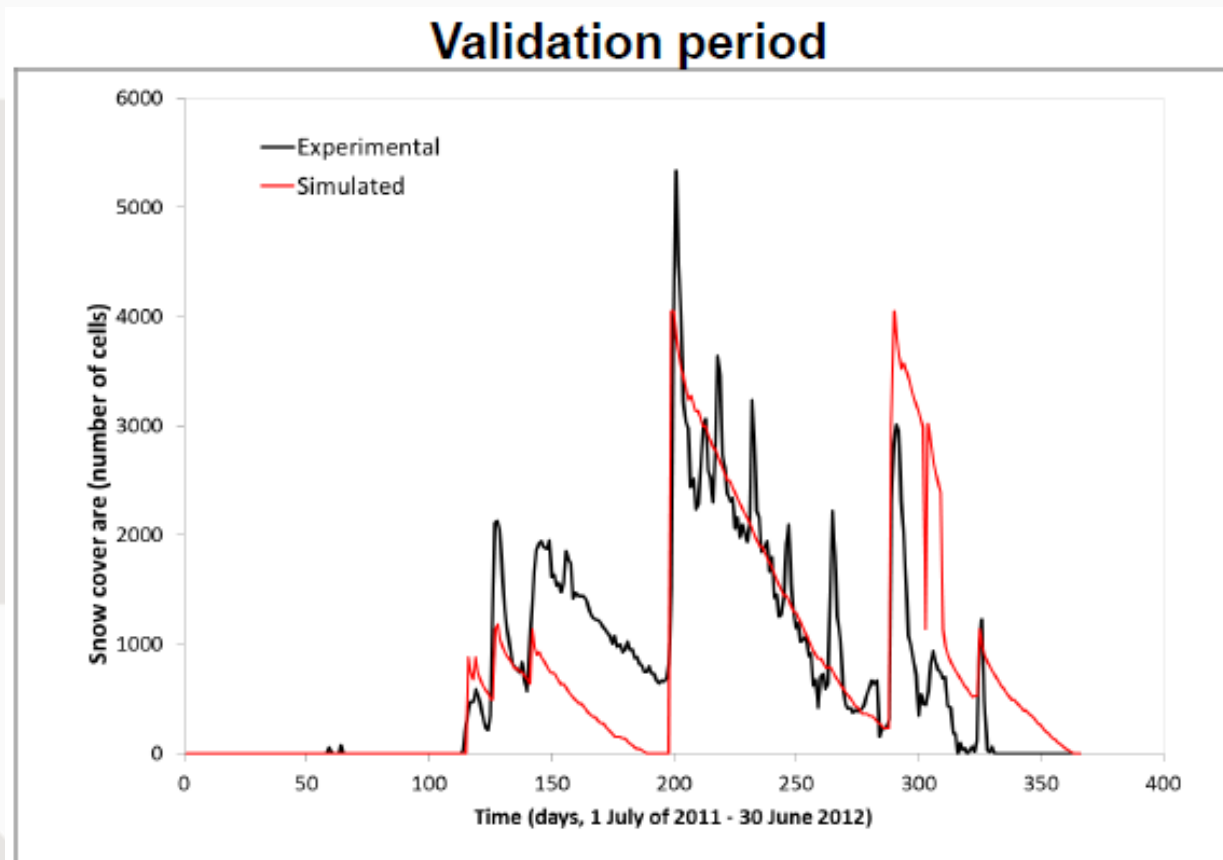


Figure 10. Experimental and simulated SCA for the year 2011-2012

□ **A non-deterministic CA method can be employed to simulate SCA:**

1) DEFINITION OF CA COMPONENTS

- a) REGULAR GRID OF CELLS
- b) Finite possible states (k) in each cell (n^{os} or properties)
- c) Neighbourhood = set of cells that influence on new state.
- 4) Transition rules
- 5) Initial conditions

2) CALIBRATION 3) VALIDATION 4) SIMULATION

□ **Its usefulness** to simulate SCA has been demonstrated in S. Nevada

□ **More research works are in progress. It could be used to:**

- **Estimate** historical periods without data
- **Predicting** future values (data assimilation techniques)



**THANK YOU
FOR YOUR ATTENTION!!**